

This print-out should have 23 questions. Multiple-choice questions may continue on the next column or page – find all choices before answering. The due time is Central time.

version 888

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**CalC8e58s**

54:06, calculus3, multiple choice, > 1 min, wording-variable.

**001**

Determine the indefinite integral

$$I = \int 2x \ln(2+x) dx.$$

1.  $I = (x^2 - 4) \ln(2+x) + 2x + \frac{1}{2}x^2 + C$
2.  $I = \frac{1}{2}(x^2 - 4) \ln(2+x) - x - \frac{1}{4}x^2 + C$
3.  $I = \frac{1}{2}(x^2 - 4) \ln(2+x) + x - \frac{1}{4}x^2 + C$
4.  $I = 2(x^2 - 4) \ln(2+x) - 4x + x^2 + C$
5.  $I = (x^2 - 4) \ln(2+x) + 2x - \frac{1}{2}x^2 + C$
6.  $I = 2(x^2 - 4) \ln(2+x) + 4x - x^2 + C$

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**CalC8a08d**

54:02, calculus3, multiple choice, > 1 min, wording-variable.

**002**

Find the indefinite integral

$$\int 3x(\ln x)^2 dx.$$

1.  $\frac{3}{2}x^2 \left( (\ln x)^2 + \ln x + \frac{1}{2} \right) + C$
2.  $6x^2 \left( (\ln x)^2 - \ln x + \frac{1}{2} \right) + C$
3.  $\frac{3}{2}x^2 \left( (\ln x)^2 - \ln x + \frac{1}{2} \right) + C$

$$4. 3x^2 \left( (\ln x)^2 - \ln x + \frac{1}{2} \right) + C$$

$$5. \frac{3}{2}x^2 \left( (\ln x)^2 - \ln x - \frac{1}{2} \right) + C$$

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**CalC8b22exam**

54:03, calculus3, multiple choice, > 1 min, wording-variable.

**003**

Evaluate the definite integral

$$I = \int_0^{\pi/4} 4 \tan^4 x dx.$$

1.  $I = \pi - \frac{8}{3}$
2.  $I = 2\pi + \frac{4}{3}$
3.  $I = 2\pi - \frac{8}{3}$
4.  $I = \pi + \frac{8}{3}$
5.  $I = 4\pi - \frac{4}{3}$
6.  $I = 4\pi + \frac{4}{3}$

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**CalC8b01exam**

54:03, calculus3, multiple choice, < 1 min, wording-variable.

**004**

Evaluate the integral

$$I = \int_0^{\pi/2} \sin^3 x dx.$$

1.  $I = 1$
2.  $I = \frac{1}{6}$
3.  $I = \frac{5}{6}$

4.  $I = \frac{2}{3}$

5.  $I = \frac{1}{3}$

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**CalC8c25exam**

54:04, calculus3, multiple choice, &gt; 1 min, wording-variable.

**005**

Evaluate the definite integral

$$I = \int_{\sqrt{2}}^2 \frac{8}{x\sqrt{x^2-1}} dx.$$

1.  $I = 1$

2.  $I = \frac{4}{3}\pi$

3.  $I = \frac{4}{3}$

4.  $I = \pi$

5.  $I = \frac{2}{3}$

6.  $I = \frac{2}{3}\pi$

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**CalC8e16exam**

54:06, calculus3, multiple choice, &gt; 1 min, wording-variable.

**006**

Evaluate the definite integral

$$I = \int_0^{\frac{1}{\sqrt{2}}} \frac{2x^2}{\sqrt{1-x^2}} dx.$$

1.  $I = \frac{\pi}{2} - 1$

2.  $I = \frac{\pi}{2} - \frac{1}{4}$

3.  $I = \pi - \frac{1}{2}$

4.  $I = \frac{\pi}{4} - \frac{1}{2}$

5.  $I = \frac{\pi}{4} - \frac{1}{8}$

6.  $I = \frac{\pi}{8} - \frac{1}{4}$

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**CalC8c02c**

54:04, calculus3, multiple choice, &gt; 1 min, wording-variable.

**007**

Evaluate the integral

$$I = \int_0^{1/4} \frac{4}{\sqrt{1-4x^2}} dx.$$

1.  $I = \frac{2}{3}\pi$

2.  $I = \frac{1}{3}\pi$

3.  $I = \frac{1}{2}\pi$

4.  $I = \frac{2}{3}$

5.  $I = \frac{1}{3}$

6.  $I = \frac{1}{2}$

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**CalC8e04a**

54:06, calculus3, multiple choice, &lt; 1 min, wording-variable.

**008**

Evaluate the definite integral

$$I = \int_0^1 (5+4x)^{-1/2} dx.$$

1.  $I = \frac{1}{4}(3 - \sqrt{5})$

2.  $I = \frac{1}{5}$

3.  $I = \frac{1}{2}(3 - 2)$

4.  $I = 0$

5.  $I = \frac{2}{5}$

6.  $I = \frac{1}{2}(3 - \sqrt{5})$

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**CalC8c32a**

54:04, calculus3, multiple choice, &gt; 1 min, wording-variable.

**009**

Evaluate the definite integral

$$I = \int_{-3}^{-1} \frac{4}{\sqrt{7 - 6x - x^2}} dx.$$

1.  $I = \frac{2}{3}\pi$

2.  $I = \sqrt{3}$

3.  $I = \frac{2}{3}\sqrt{3}$

4.  $I = \frac{4}{3}\sqrt{3}$

5.  $I = \pi$

6.  $I = \frac{4}{3}\pi$

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**CalC8d10a**

54:05, calculus3, multiple choice, &gt; 1 min, wording-variable.

**010**

Evaluate the definite integral

$$I = \int_0^1 \frac{18}{2x^2 - 3x - 9} dx.$$

1.  $I = 2\ln\frac{4}{5}$

2.  $I = 4\ln\frac{4}{5}$

3.  $I = 2\ln\frac{2}{5}$

4.  $I = 4\ln\frac{2}{5}$

5.  $I = 2\ln\frac{3}{5}$

6.  $I = 4\ln\frac{3}{5}$

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**CalC8g01c**

51:06, calculus3, multiple choice, &gt; 1 min, wording-variable.

**011**

If the points

$$(0, 3), \left(\frac{1}{2}, 5\right), (1, 4), \left(\frac{3}{2}, 5\right), (2, 3)$$

lie on the graph of a continuous function  $y = f(x)$ , use Simpson's Rule and all these points to estimate the definite integral

$$I = \int_0^2 f(x) dx.$$

1.  $I \approx 9$

2.  $I \approx \frac{17}{2}$

3.  $I \approx \frac{25}{3}$

4.  $I \approx \frac{53}{6}$

5.  $I \approx \frac{26}{3}$

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**CalC8g07a**

51:06, calculus3, multiple choice, &gt; 1 min, wording-variable.

**012**

After partitioning the interval  $[0, 4]$  into 4 equal subintervals, use the trapezoidal rule to estimate the integral

$$I = \int_0^4 \frac{7}{\sqrt{1+x^2}} dx.$$

1.  $I \approx 15.2427$

2.  $I \approx 14.4427$

3.  $I \approx 14.8427$

4.  $I \approx 14.6427$

5.  $I \approx 15.0427$

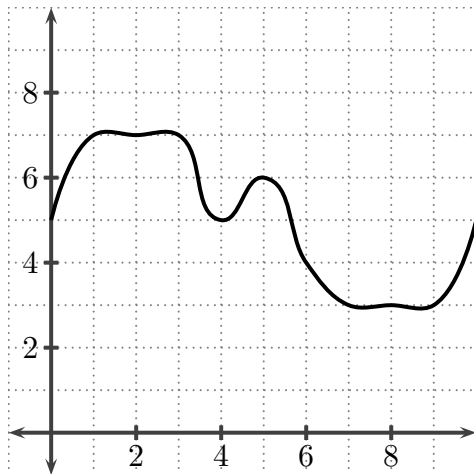
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**CalC8g01d**

51:06, calculus3, multiple choice, < 1 min, wording-variable.

**013**

If  $f$  is the function whose graph on  $[0, 10]$  is given by



use the Trapezoidal Rule with  $n = 5$  to estimate the definite integral

$$I = \int_3^8 f(x) dx.$$

1.  $I \approx 23$

2.  $I \approx \frac{47}{2}$

3.  $I \approx \frac{43}{2}$

4.  $I \approx \frac{45}{2}$

5.  $I \approx 22$

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**CalC8h21b**

54:08, calculus3, multiple choice, > 1 min, normal.

**014**

Determine if the improper integral

$$I = \int_e^\infty \frac{1}{x(\ln 3x)^2} dx$$

converges, and if it does, compute its value.

1.  $I = \ln 3e$

2.  $I = \frac{3}{\ln 3e}$

3.  $I = \frac{1}{3e}$

4.  $I = 3$

5.  $I = \frac{1}{\ln 3e}$

6.  $I$  does not converge

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**CalC8h07s**

54:08, calculus3, multiple choice, > 1 min, wording-variable.

**015**

Determine if the improper integral

$$I = \int_{-\infty}^5 \frac{1}{\sqrt{6-z}} dz$$

is convergent or divergent, and if convergent, find its value.

1.  $I = \frac{1}{2}$

2.  $I = \frac{3}{2}$
3.  $I = 1$
4.  $I$  is divergent
5.  $I = 2$

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**CalC8h40s**

54:08, calculus3, multiple choice, > 1 min, wording-variable.

**016**

Determine if the improper integral

$$I = \int_0^1 \frac{4 \ln 7x}{\sqrt{x}} dx$$

is convergent or divergent, and if convergent, find its value.

1.  $I = 8(\ln 7 + 2)$
2.  $I = 4(\ln 7 + 1)$
3.  $I$  is divergent
4.  $I = 7(\ln 7 + 1)$
5.  $I = 7(\ln 7 - 1)$
6.  $I = 4(\ln 7 - 2)$
7.  $I = 8(\ln 7 - 2)$

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**CalC8h57exam**

54:08, calculus3, multiple choice, < 1 min, wording-variable.

**017**

Determine if the integral

$$I = \int_0^1 \frac{4 + 3x^{-1/3}}{x^{1/2}} dx$$

converges, and if it does find its value.

1.  $I = 27$
2.  $I = 26$
3.  $I = 25$
4.  $I$  does not converge
5.  $I = 29$
6.  $I = 28$

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**CalC15c11a**

59:03, calculus3, multiple choice, < 1 min, wording-variable.

**018**

Determine  $f_x$  when

$$f(x, y) = (xy - 3)e^{-xy}.$$

1.  $f_x = -y(2 + xy)e^{-xy}$
2.  $f_x = -x(2 + 3xy)e^{-xy}$
3.  $f_x = x(4 - 3xy)e^{-xy}$
4.  $f_x = y(4 - xy)e^{-xy}$
5.  $f_x = -x(2 + xy)e^{-xy}$
6.  $f_x = x(3xy - 4)e^{-xy}$
7.  $f_x = -y(2 - xy)e^{-xy}$
8.  $f_x = y(xy - 4)e^{-xy}$

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**CalC15c10a**

59:03, calculus3, multiple choice, > 1 min, normal.

**019**

Find the slope in the  $x$ -direction at the point  $P(0, 2, f(0, 2))$  on the graph of  $f$  when

$$f(x, y) = 3(2x + y)e^{-xy}.$$

1. slope =  $-12$
2. slope =  $-8$
3. slope =  $-6$
4. slope =  $-10$
5. slope =  $-4$

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**CalC15c47a**

59:03, calculus3, multiple choice,  $> 1$  min, wording-variable.

**020**

Find the value of  $f_{xx} + f_{yy}$  at  $(1, -1)$  when

$$f(x, y) = \frac{2}{xy} + 3x^2 + 4y^2.$$

1.  $(f_{xx} + f_{yy})\Big|_{(1,-1)} = 5$
2.  $(f_{xx} + f_{yy})\Big|_{(1,-1)} = 7$
3.  $(f_{xx} + f_{yy})\Big|_{(1,-1)} = 6$
4.  $(f_{xx} + f_{yy})\Big|_{(1,-1)} = 23$
5.  $(f_{xx} + f_{yy})\Big|_{(1,-1)} = 22$

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**CalC16b19a**

60:01, calculus3, multiple choice,  $> 1$  min, wording-variable.

**021**

Evaluate the integral,  $I$ , of the function

$$f(x, y) = 2xe^{2xy}$$

over the rectangle

$$A = \{(x, y) : 0 \leq x \leq 3, 0 \leq y \leq 2\}.$$

$$1. I = \frac{1}{4}(e^{12} - 11)$$

$$2. I = \frac{1}{8}(e^{12} - 13)$$

$$3. I = \frac{1}{8}(e^{12} - 11)$$

$$4. I = \frac{1}{8}(e^{12} - 12)$$

$$5. I = \frac{1}{4}(e^{12} - 13)$$

$$6. I = \frac{1}{4}(e^{12} - 12)$$

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**CalC16c30a**

60:02, calculus3, multiple choice,  $< 1$  min, normal.

**022**

Evaluate the double integral

$$I = \int \int_D \frac{2}{(1+x+y)^{3/2}} dA$$

when  $D$  is the region in the first quadrant bounded by

$$y = 3x + 3, \quad x = 3$$

as well as the  $x$  and  $y$ -axes.

$$1. I = 7$$

$$2. I = 4$$

$$3. I = 6$$

$$4. I = 5$$

$$5. I = 8$$

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**CalC16c40s**

60:02, calculus3, multiple choice,  $< 1$  min, wording-variable.

**023**

Reverse the order of integration in the integral

$$I = \int_{-2}^1 \left( \int_{-\sqrt{y+2}}^0 f(x, y) dx \right) dy,$$

but make no attempt to evaluate either integral.

1.  $I = \int_{-\sqrt{3}}^0 \left( \int_{x^2-2}^1 f(x, y) dy \right) dx$
2.  $I = \int_0^{\sqrt{3}} \left( \int_{x^2-2}^1 f(x, y) dy \right) dx$
3.  $I = \int_0^{\sqrt{3}} \left( \int_1^{x^2-2} f(x, y) dy \right) dx$
4.  $I = \int_{-\sqrt{3}}^0 \left( \int_1^{x^2+2} f(x, y) dy \right) dx$
5.  $I = \int_{-\sqrt{3}}^0 \left( \int_{x^2+2}^1 f(x, y) dy \right) dx$