#### SUGGESTED WORDINGS OF THE REQUIRED JUSTIFICATIONS

### for the RATIO TEST and for the ROOT TEST

#### SUGGESTED WORDINGS OF THE REQUIRED JUSTIFICATION

#### for Concluding Absolute Convergence by the RATIO TEST

Whenever you apply the RATIO TEST to conclude that the series  $\sum_{n=1}^{\infty} a_n$  is Absolutely Convergent, you must write a justification as clear and complete as the following:

"Since 
$$\lim_{n \to \infty} \left| \frac{a_{n+1}}{a_n} \right| = L$$
 and  $L < 1$ ,  
the series  $\sum_{n=1}^{\infty} a_n$  is ABSOLUTELY CONVERGENT by the RATIO TEST."   
WORDING

# SUGGESTED WORDINGS OF THE REQUIRED JUSTIFICATION

## for Concluding Divergence by the RATIO TEST

Whenever you apply the RATIO TEST to conclude that the series  $\sum_{n=1}^{\infty} a_n$  is **Divergent**, you must write a justification as clear and complete as the following:

"Since 
$$\lim_{n \to \infty} \left| \frac{a_{n+1}}{a_n} \right| = L$$
 and  $L > 1$  (or  $L = \infty$ ),  
the series  $\sum_{n=1}^{\infty} a_n$  is DIVERGENT by the RATIO TEST." WORDING

#### SUGGESTED WORDINGS OF THE REQUIRED JUSTIFICATION

# for Concluding Absolute Convergence by the ROOT TEST

Whenever you apply the ROOT TEST to conclude that the series  $\sum_{n=1}^{\infty} a_n$  is Absolutely Convergent, you must write a justification as clear and complete as the following:

"Since 
$$\lim_{n \to \infty} \sqrt[n]{|a_n|} = L$$
 and  $L < 1$ ,  
the series  $\sum_{n=1}^{\infty} a_n$  is ABSOLUTELY CONVERGENT by the ROOT TEST." WORDING

# SUGGESTED WORDINGS OF THE REQUIRED JUSTIFICATION

# for Concluding Divergence by the ROOT TEST

Whenever you apply the ROOT TEST to conclude that the series  $\sum_{n=1}^{\infty} a_n$  is **Divergent**,

you must write a justification as clear and complete as the following:

"Since  $\lim_{n \to \infty} \sqrt[n]{|a_n|} = L$  and L > 1 (or  $L = \infty$ ), the series  $\sum_{n=1}^{\infty} a_n$  is DIVERGENT by the ROOT TEST."